

BAZINGA!



BUZZER ROUND!











+ INSTRUCTIONS +

- Every team has a buzzer in front of them.
- The fastest team to hit the buzzer gets the first chance to answer.
- A correct answer gets +20 points while a wrong one gets -10.
- The team must answer correctly within 2 seconds of pressing the buzzer to get +20 points, else they get -10.
- If the team fails to answer correctly or hesitates, the question is displayed again and the rest of the teams can buzzzzzz.
- If the next team buzzes incorrectly or no team manages to buzz under 2 minute of opening the question, the question goes to the audience.



ARE YOU GUYS READYYY

LETS GO!

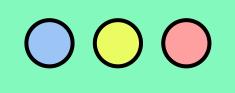


Question I



Find all positive integers n such that 2⁽ⁿ⁻¹⁾ divides n!

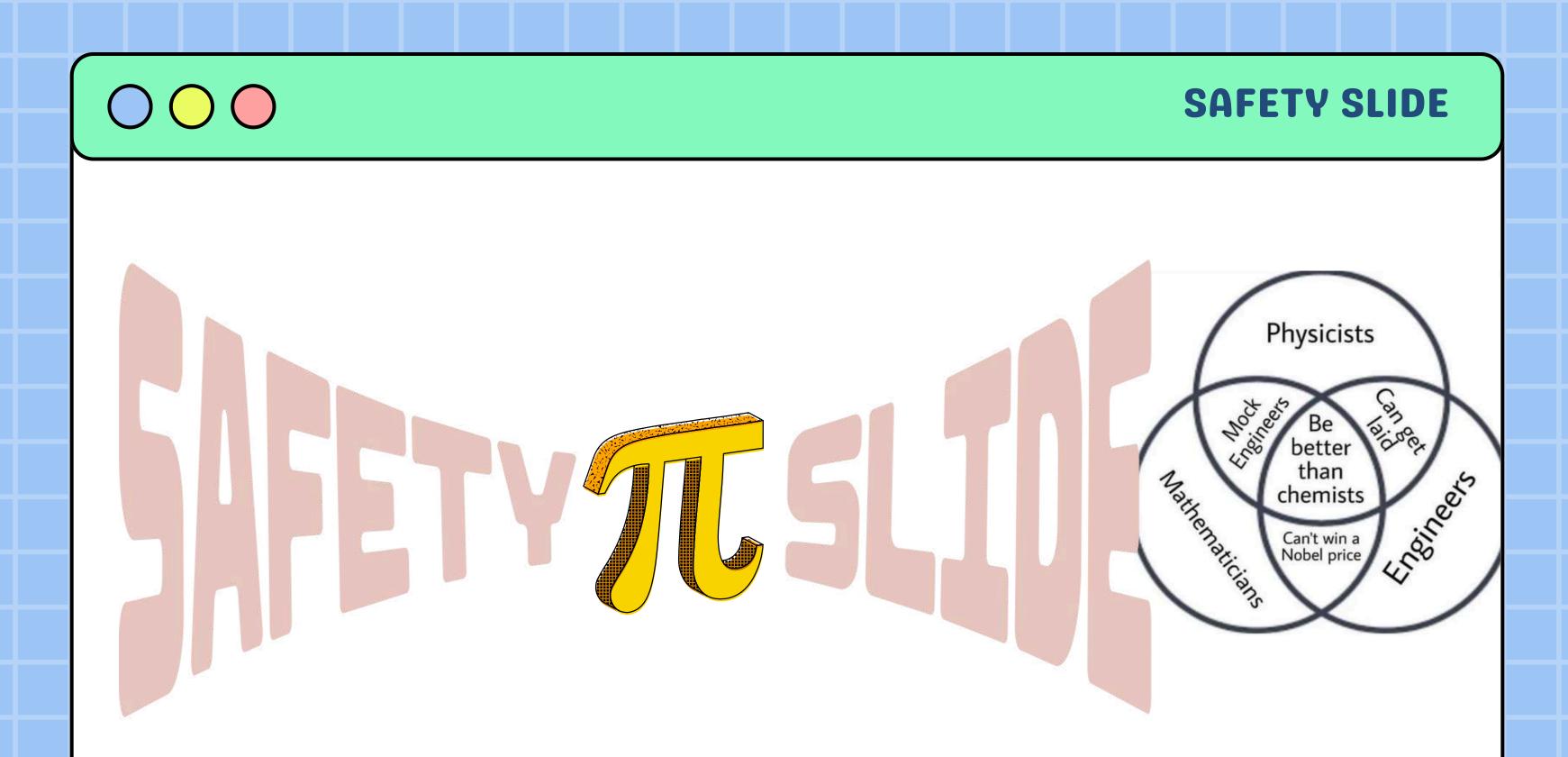






ANSWER

ALL POWERS OF 2

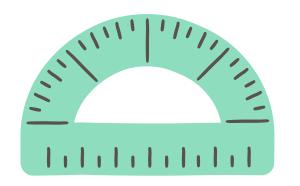




Which of the following famous mathematicians popularised the Hindu-Arabic numeral system, the one we currently use?

- A) Al-Khwarizmi
- B) Leonardo Bonacci
- C) Hypatia
- D) Madhava of Sangamagrama





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B) LEONARDO BONACCI

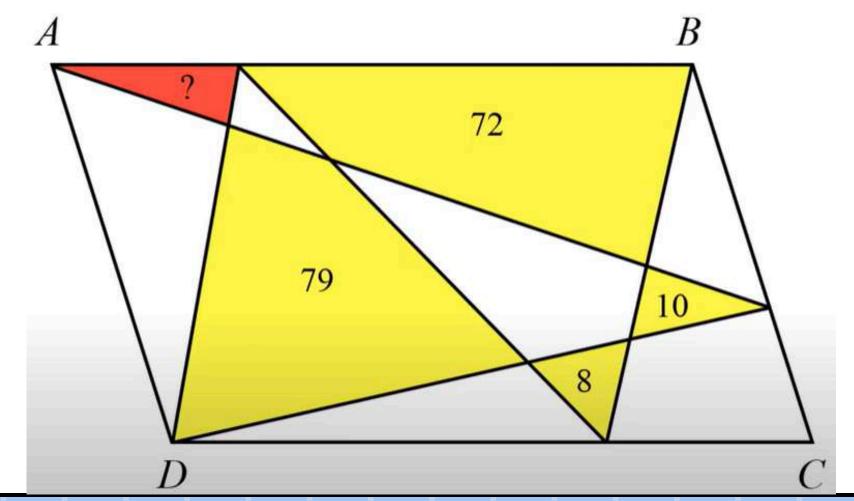




Question 3

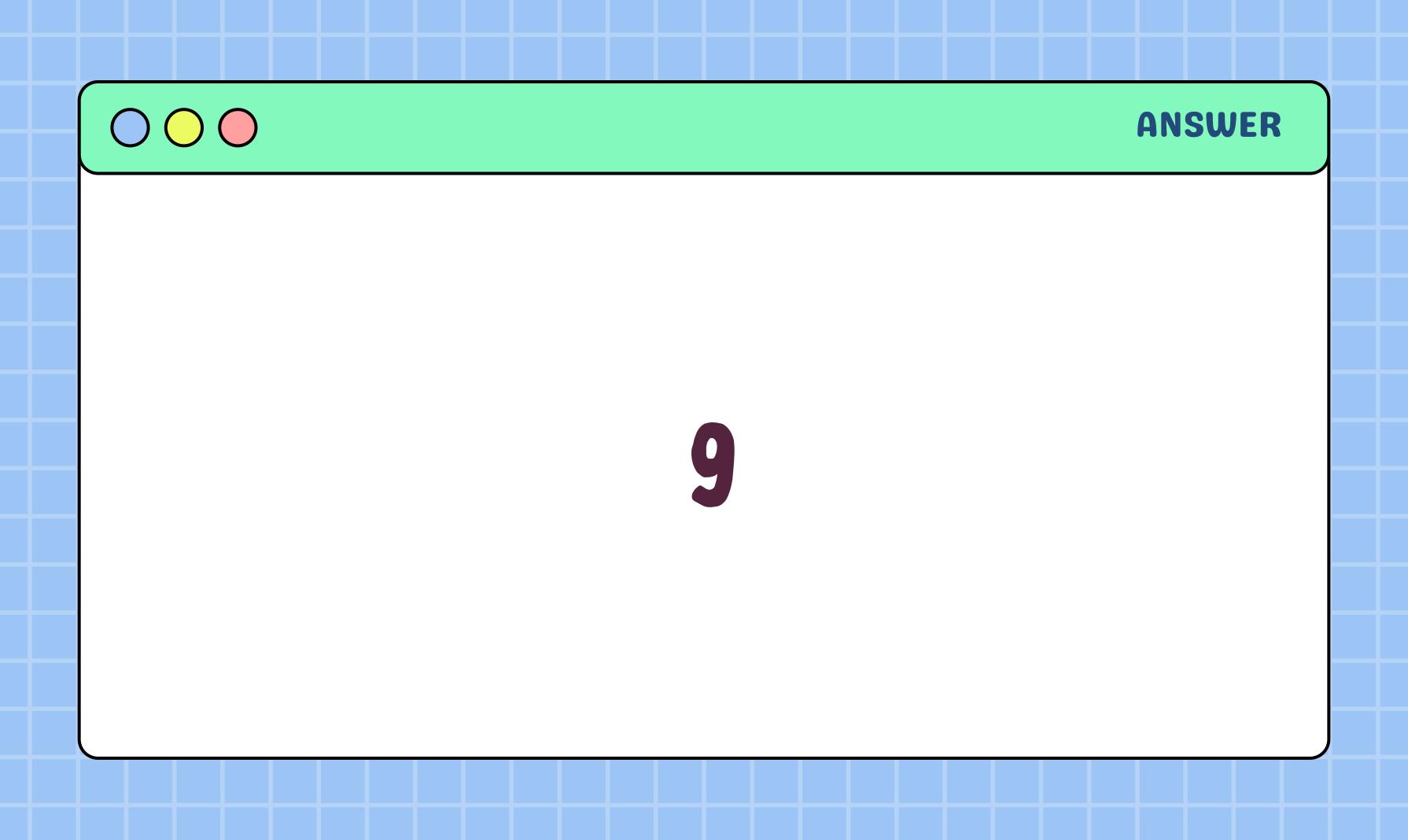
ABCD is a parallelogram. In the diagram, the areas of yellow regions are 8, 10, 72, and 79. Find the area of the red triangle. The diagram is not to scale.

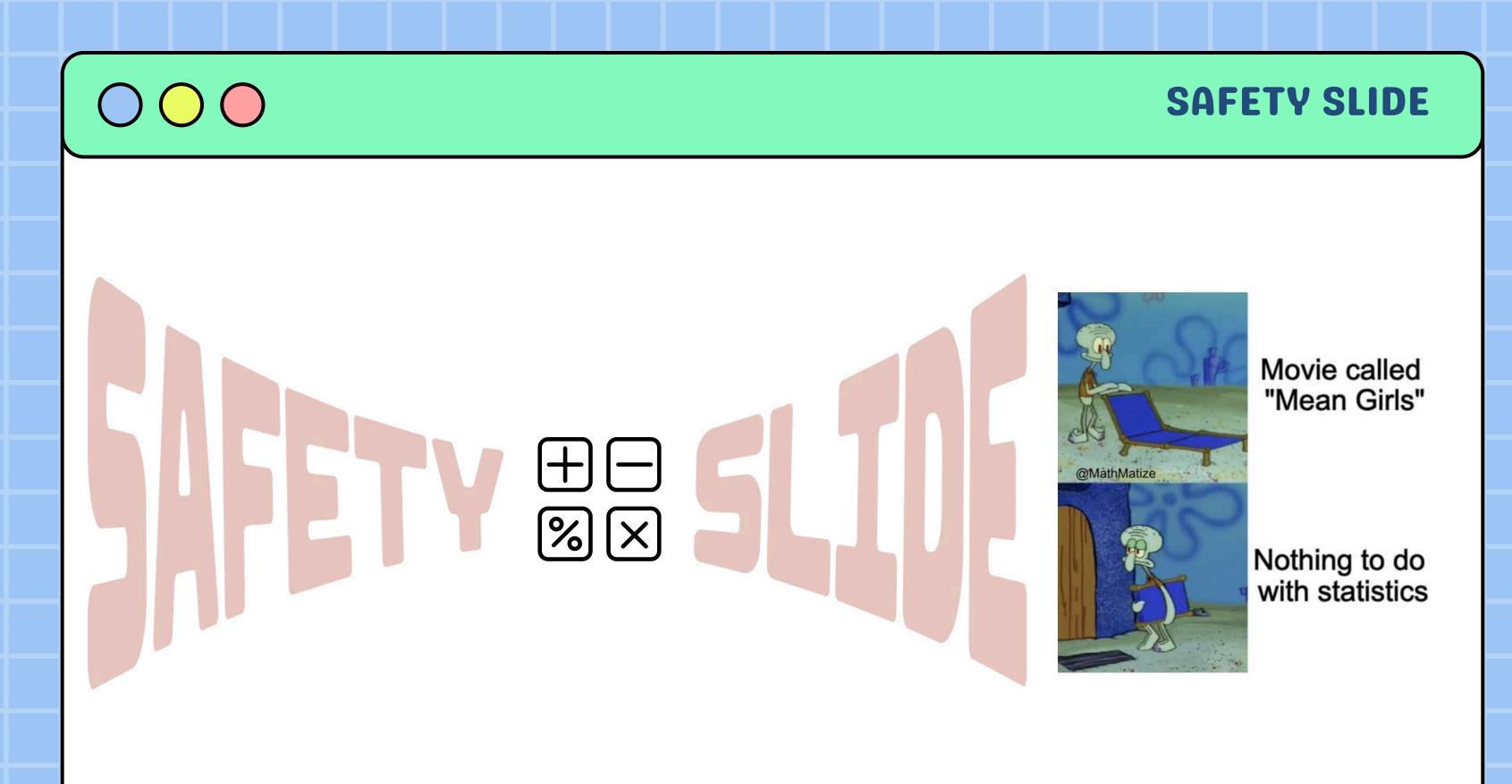
















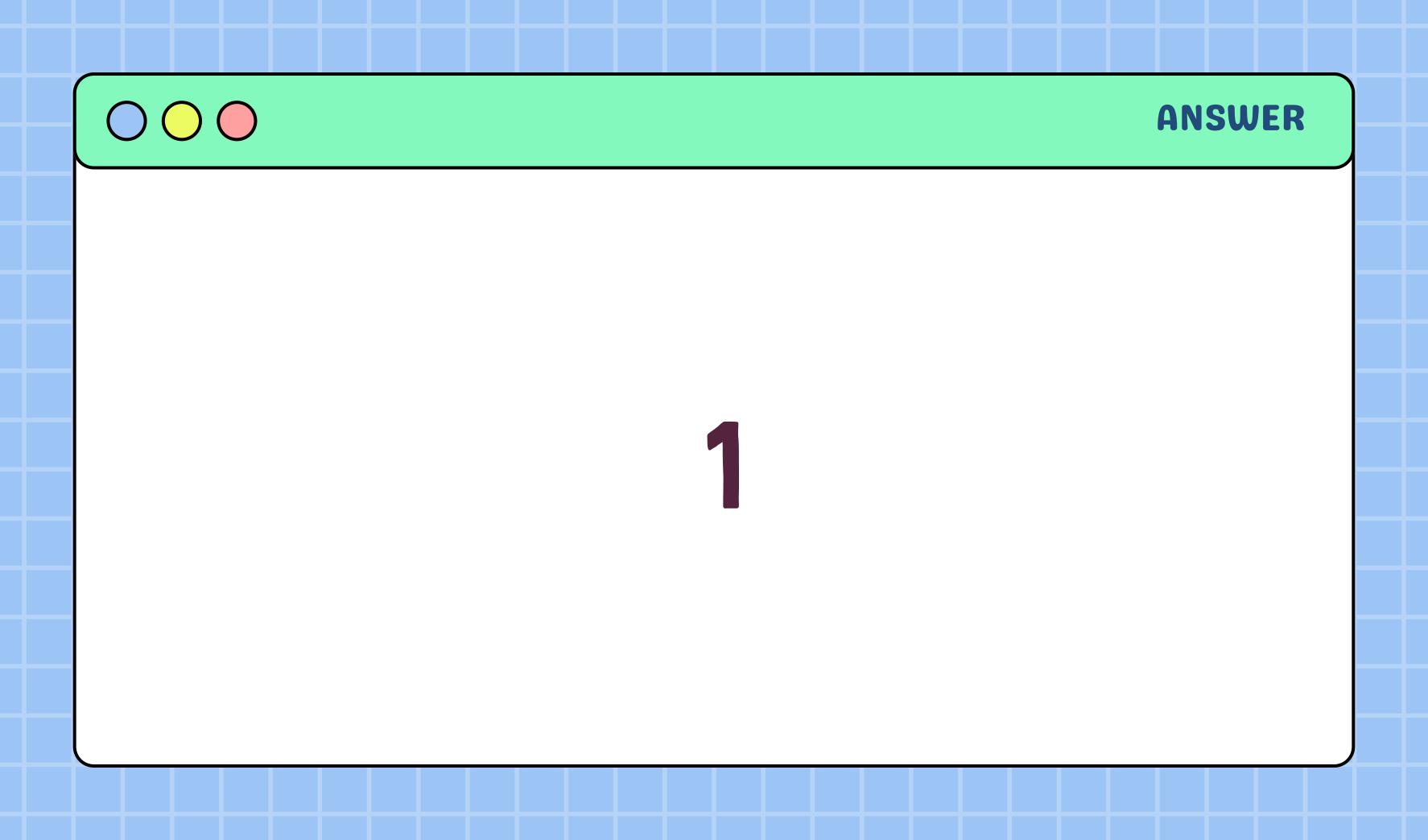
Let ABC be an acute scalene triangle. Let D be the point where the incircle touches side BC. Let E be the point where the A-excircle touches side BC. Let M be the midpoint of side BC. Let the inradius of the triangle be 2 and the A-exradius be 2√2. Find the value of DM/EM.



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SAFETY SLIDE

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Mathematicians who write "∃" instead of "there exists" deciding what to do with the time they saved



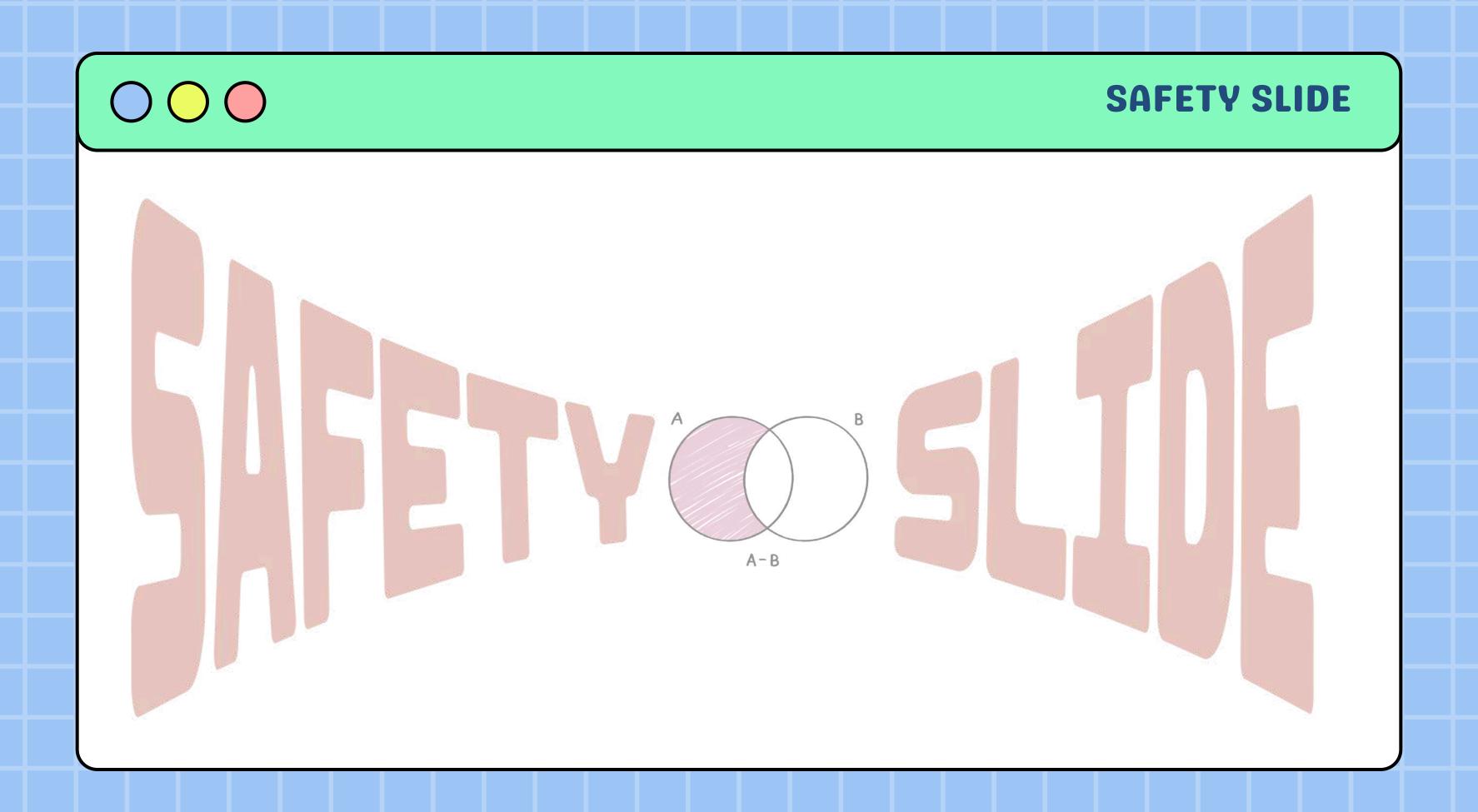
Question 5

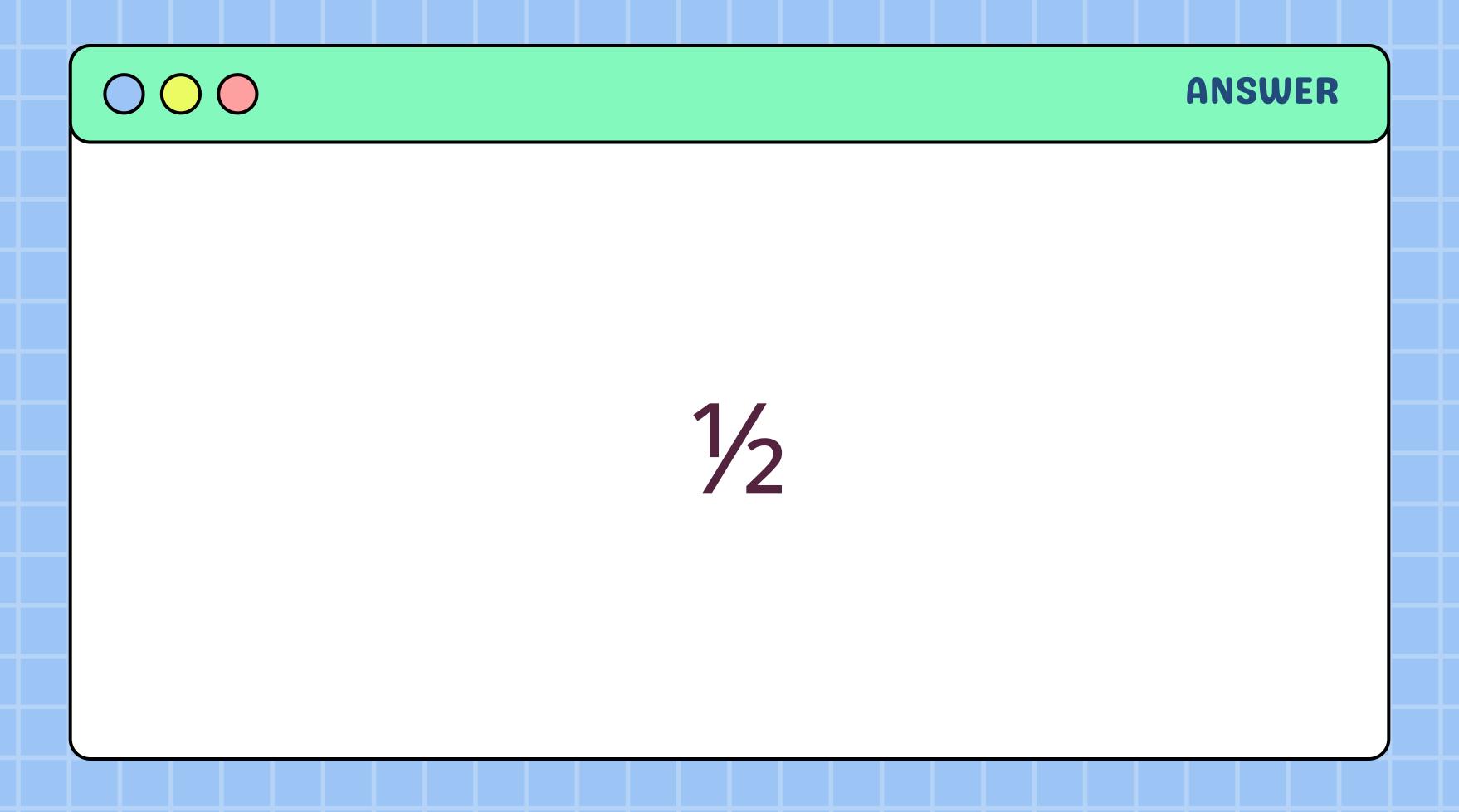


 $\{a_n\}$, $\{b_n\}$ and $\{c_n\}$ are 3 sequences of real numbers such that, for every natural number n

$$egin{aligned} \sum_{cyc} a_n &= 2n+1 \ \sum_{cyc} a_n b_n &= 2n-1 \ a_n b_n c_n &= -1 \ a_n &< b_n < c_n \end{aligned}$$

$$\operatorname{Find}\lim_{n o\infty}na_n$$









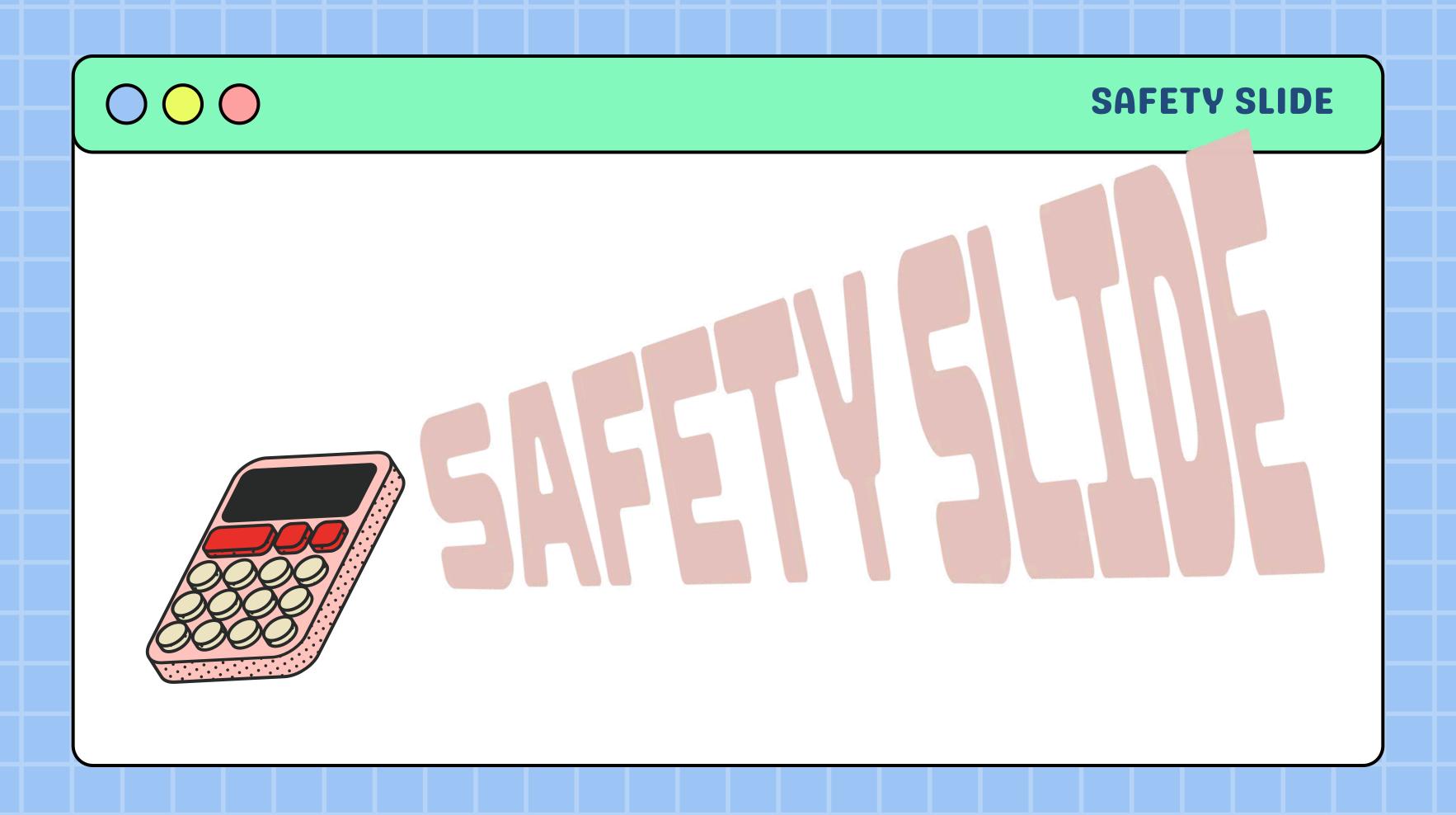
Question 6

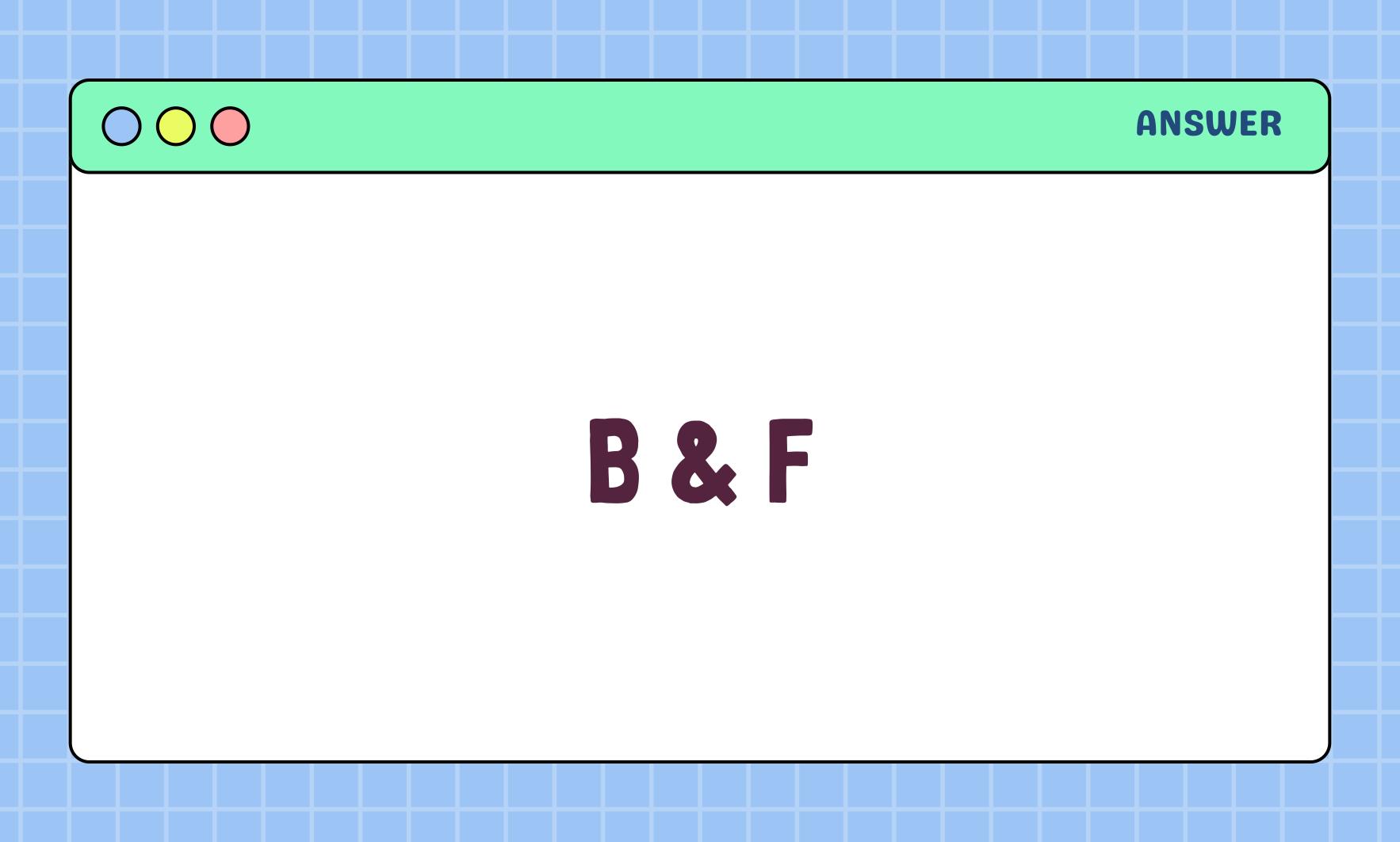


Assuming that all the coefficients of a quadratic equation $ax^2 + bx + c$ are odd integers, which of the following COULD be a root of the equation? (Multiple choice)

$$A)0 \ B)rac{-7}{6} + rac{\sqrt{13}}{6} \ C) - 1024 \ D)0.7892 \ E)83 \ F)rac{59}{30} + i\left(rac{\sqrt{179}}{30}
ight)$$













ok. time to go to sleep

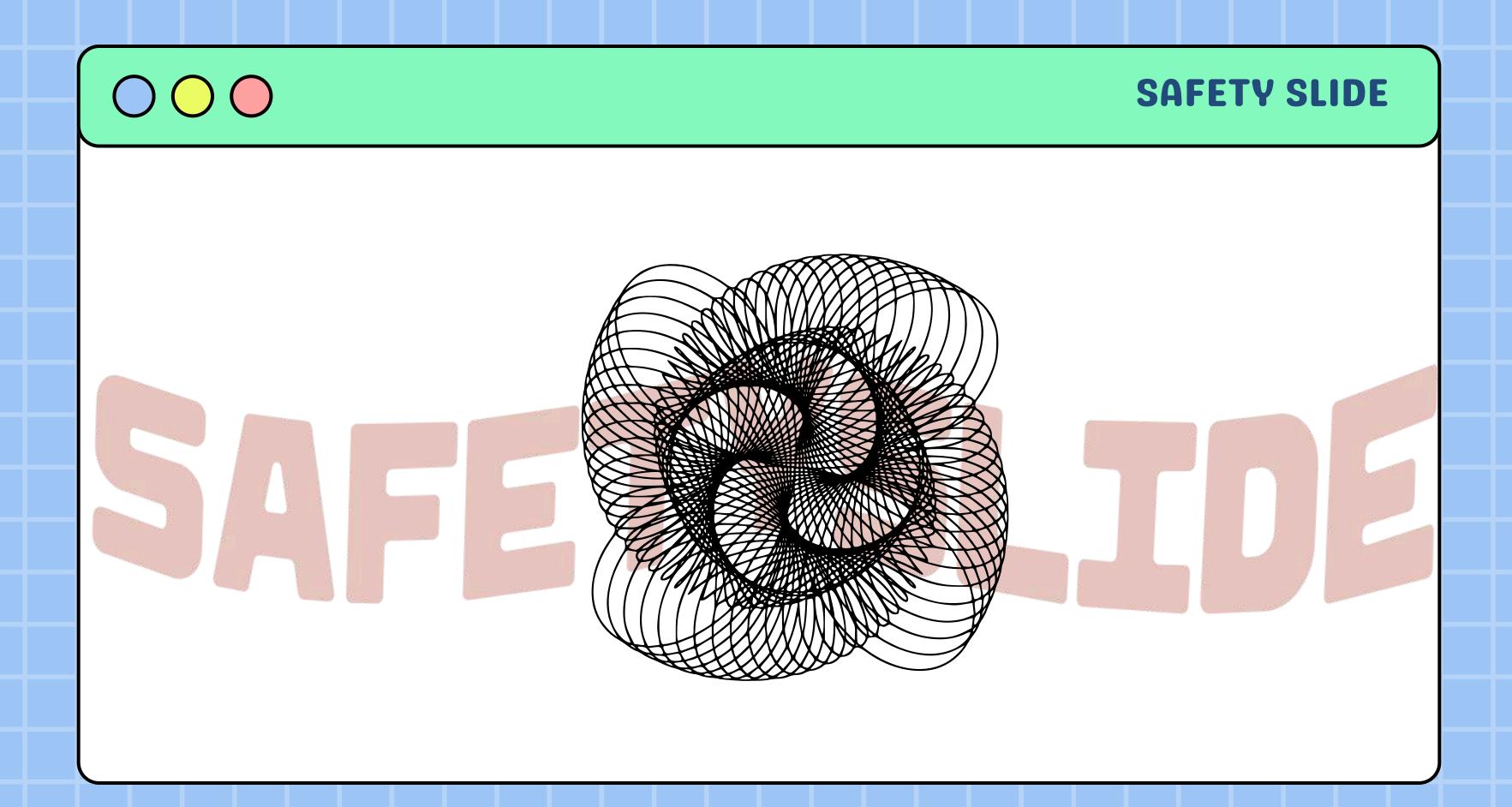
Wait a minute.

$$\frac{1}{\pi} = \frac{2\sqrt{2}}{9801} \sum_{n=0}^{\infty} \frac{(4n)!(1103 + 26390n)}{(n!)^4 396^{4n}}$$





Which famous British mathematician, perhaps best known for other work, also happened to be one of the first people to work on mathematical biology, in particular the chemical basis of morphogenesis? He was also an excellent runner, nearly qualifying for the olympics.



ANSWER ALAN TURING







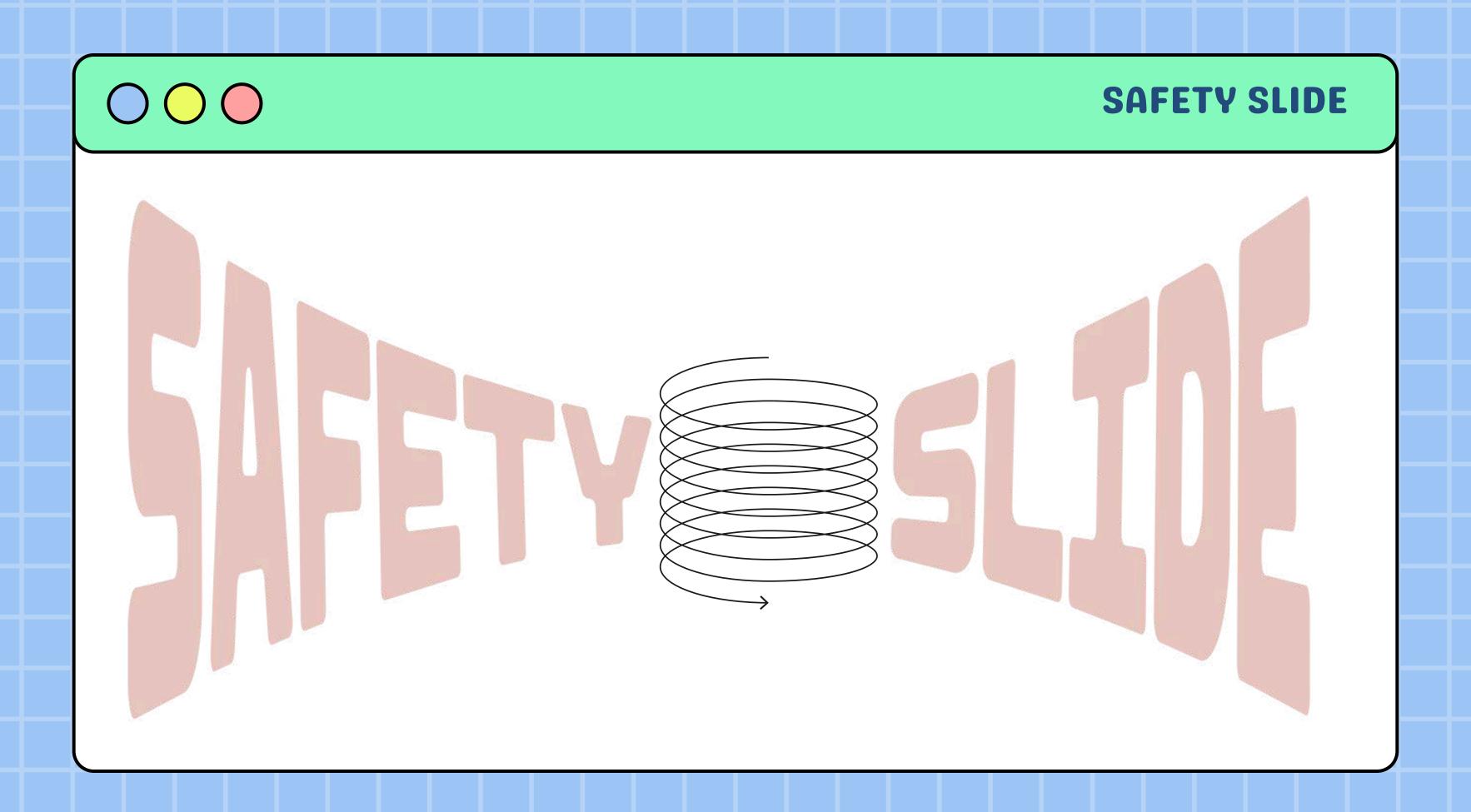


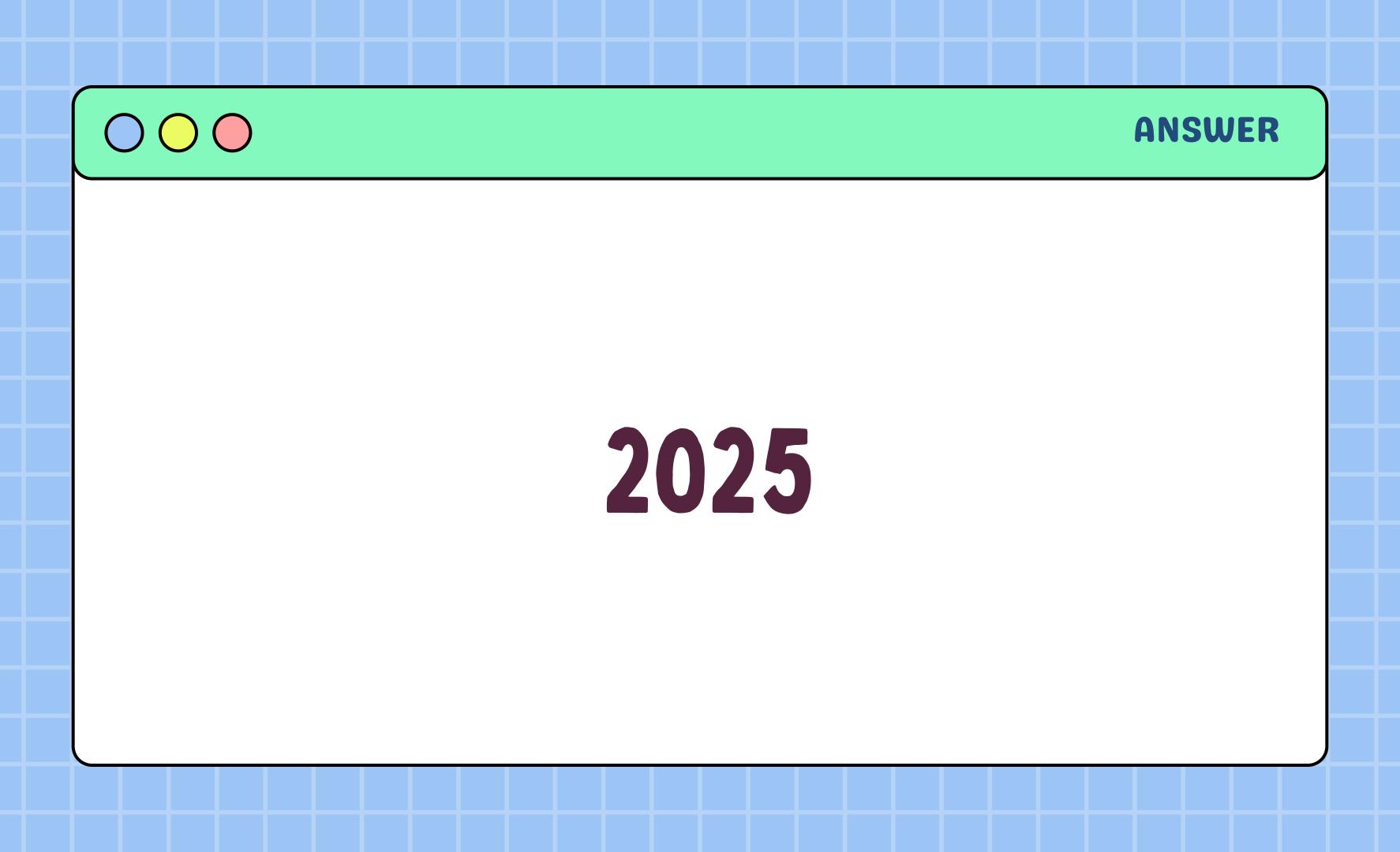
A sequence of real numbers satisfies the following for every n

$$a_1^3 + a_2^3 + \dots + a_n^3 = (a_1 + a_2 + \dots + a_n)^2$$

Find the value of a_{2025} given $a_1 = 1$.









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Day 12 of posting approximately equal statements until everyone agrees we've gone too far

100≈112



Question 9

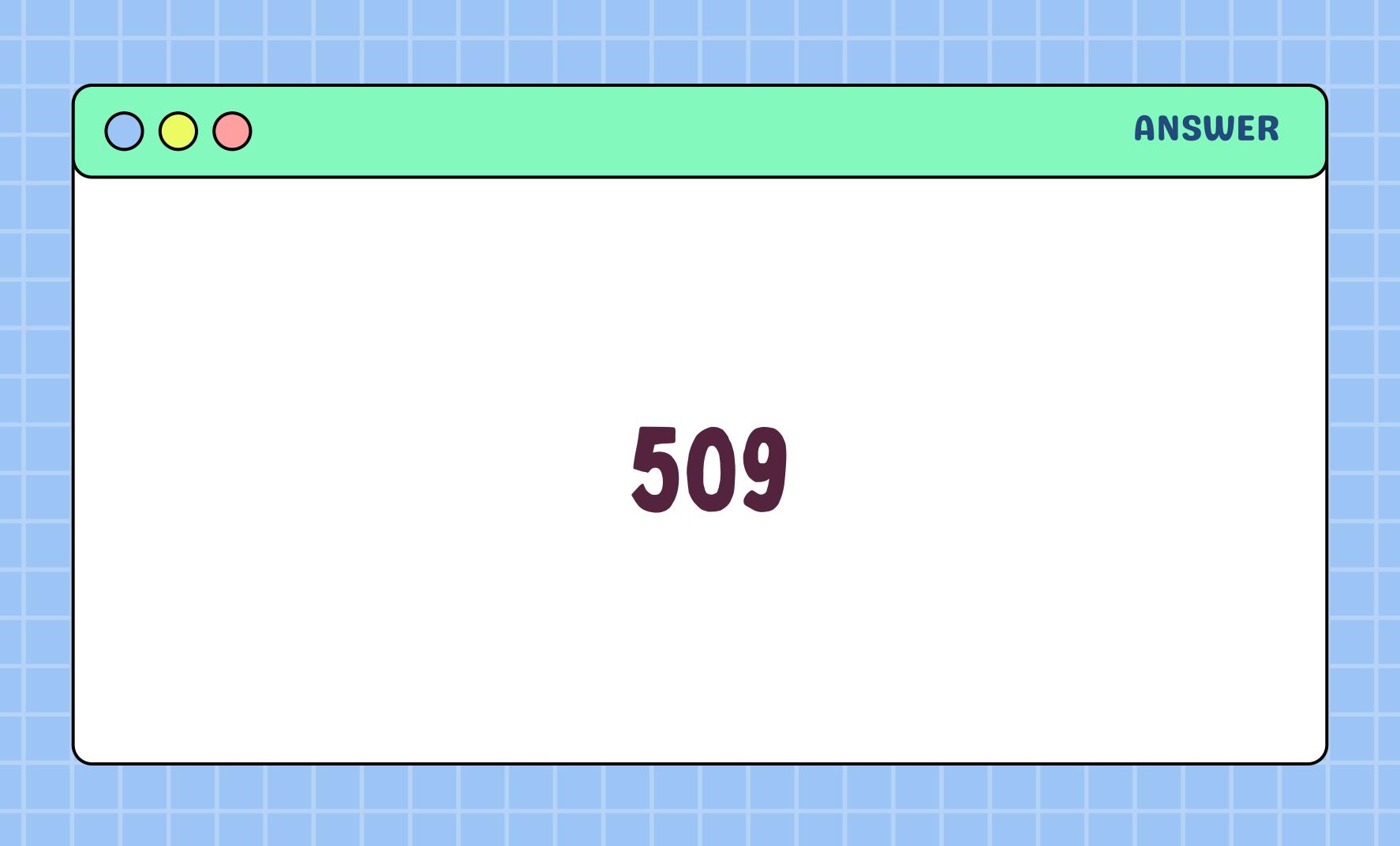


Determine the smallest prime p such that 2018! Is divisible by p³ but not p⁴.





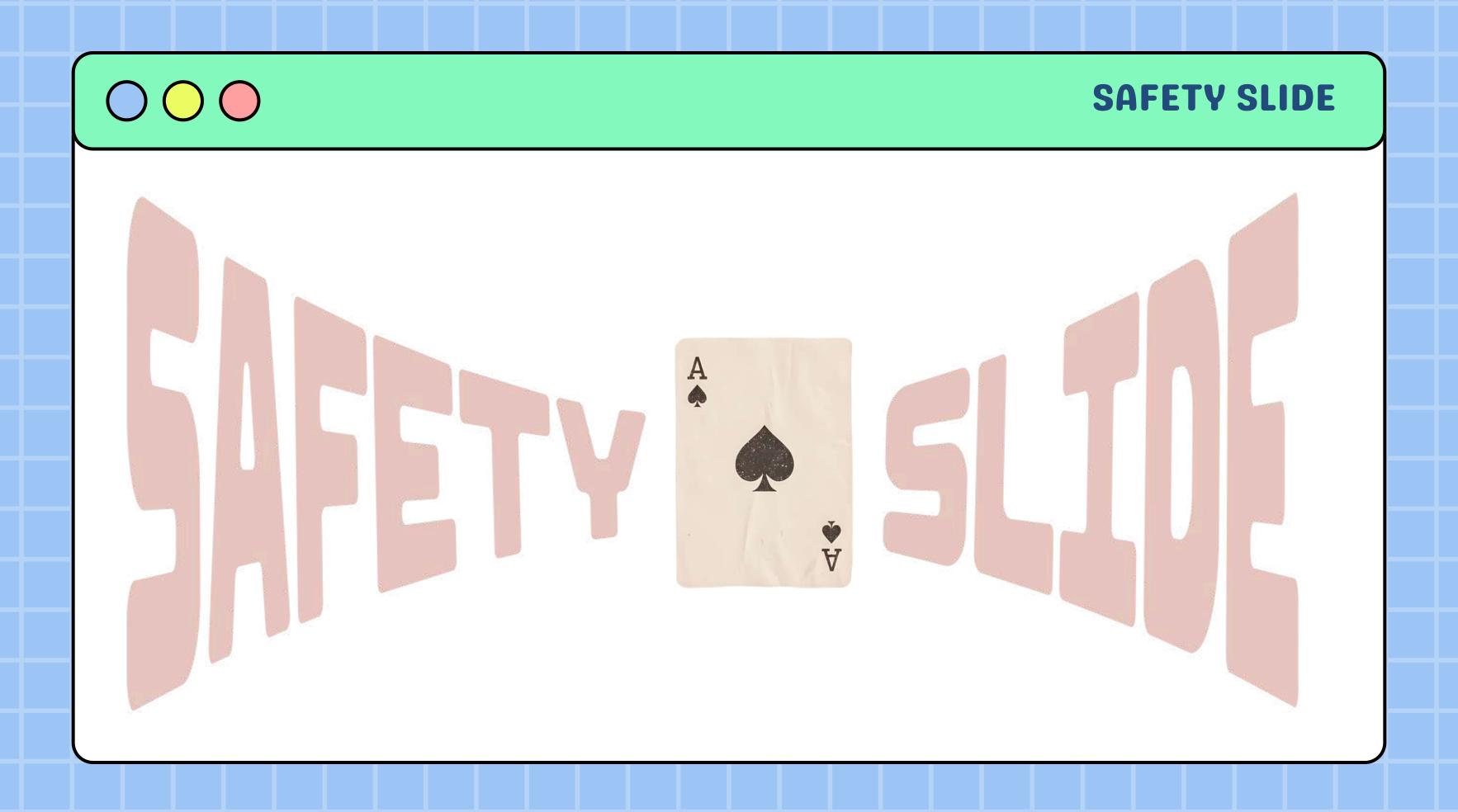


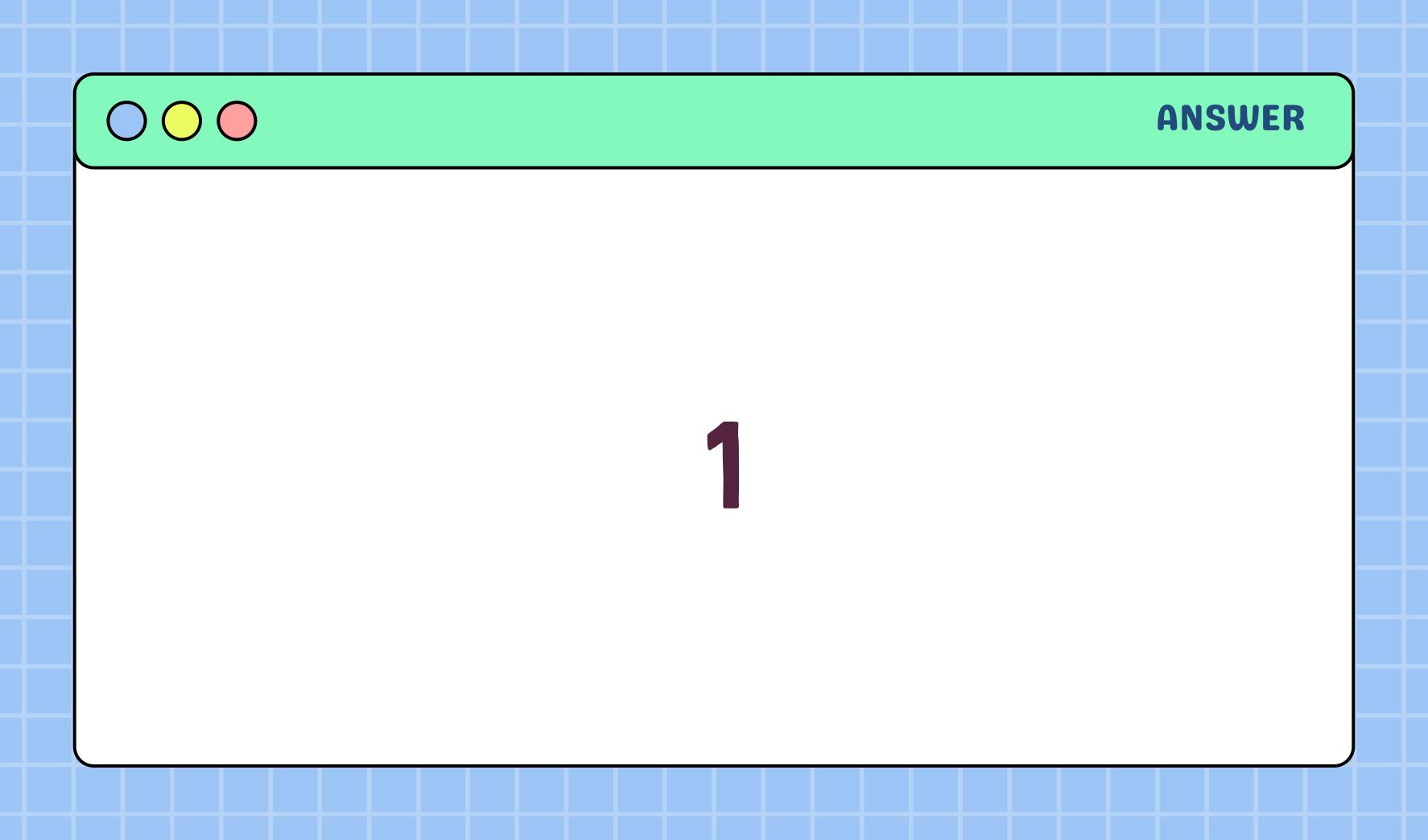






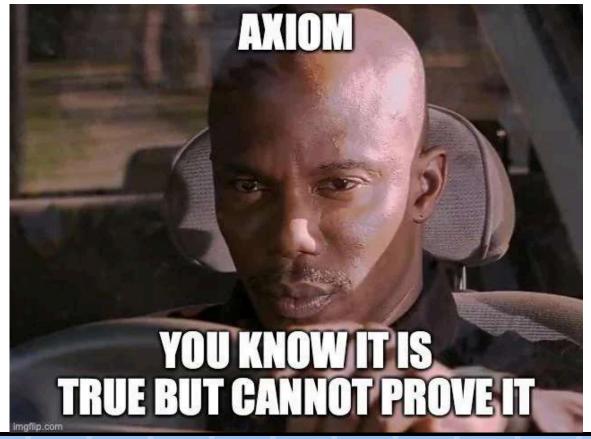
A1,A2,A3,...,A21 be the 21 vertices of a regular polygon of 21 sides inscribed in a circle with centre O. Triangles are formed by joining the vertices of this regular polygon. From these triangles, if a triangle is chosen at random. A = Probability of choosing an acute angled triangle, A = Probability of choosing an obtuse angled triangle. Find A + B.







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Question 13



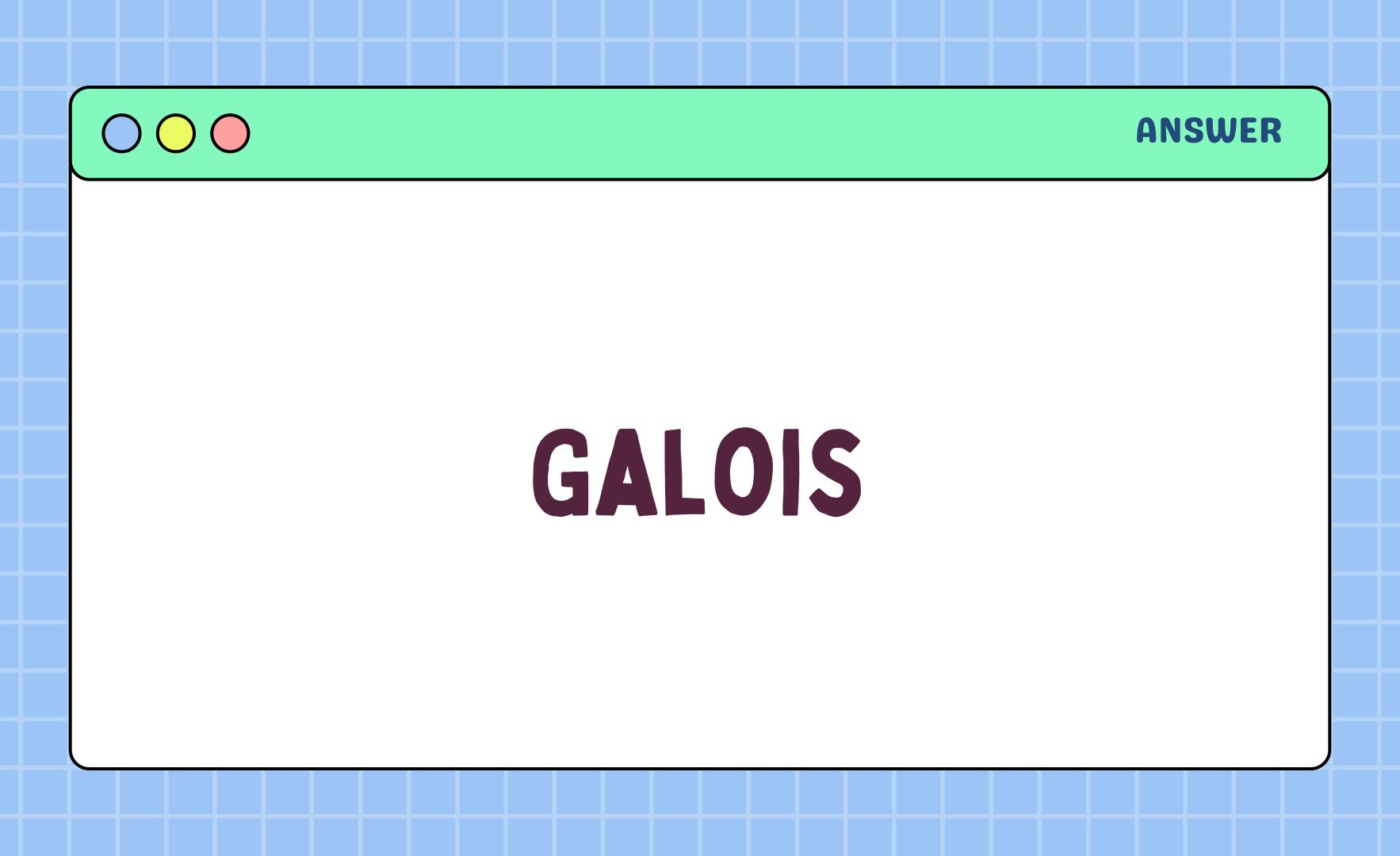
Which mathematician frequented french prisons during the revolution and famously died at 20 while duelling over a love affair gone wrong.

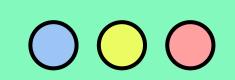


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SAFETY SLIDE

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 $\operatorname{Consider} T:\mathbb{R}^2 o\mathbb{R}^3$







Question 15

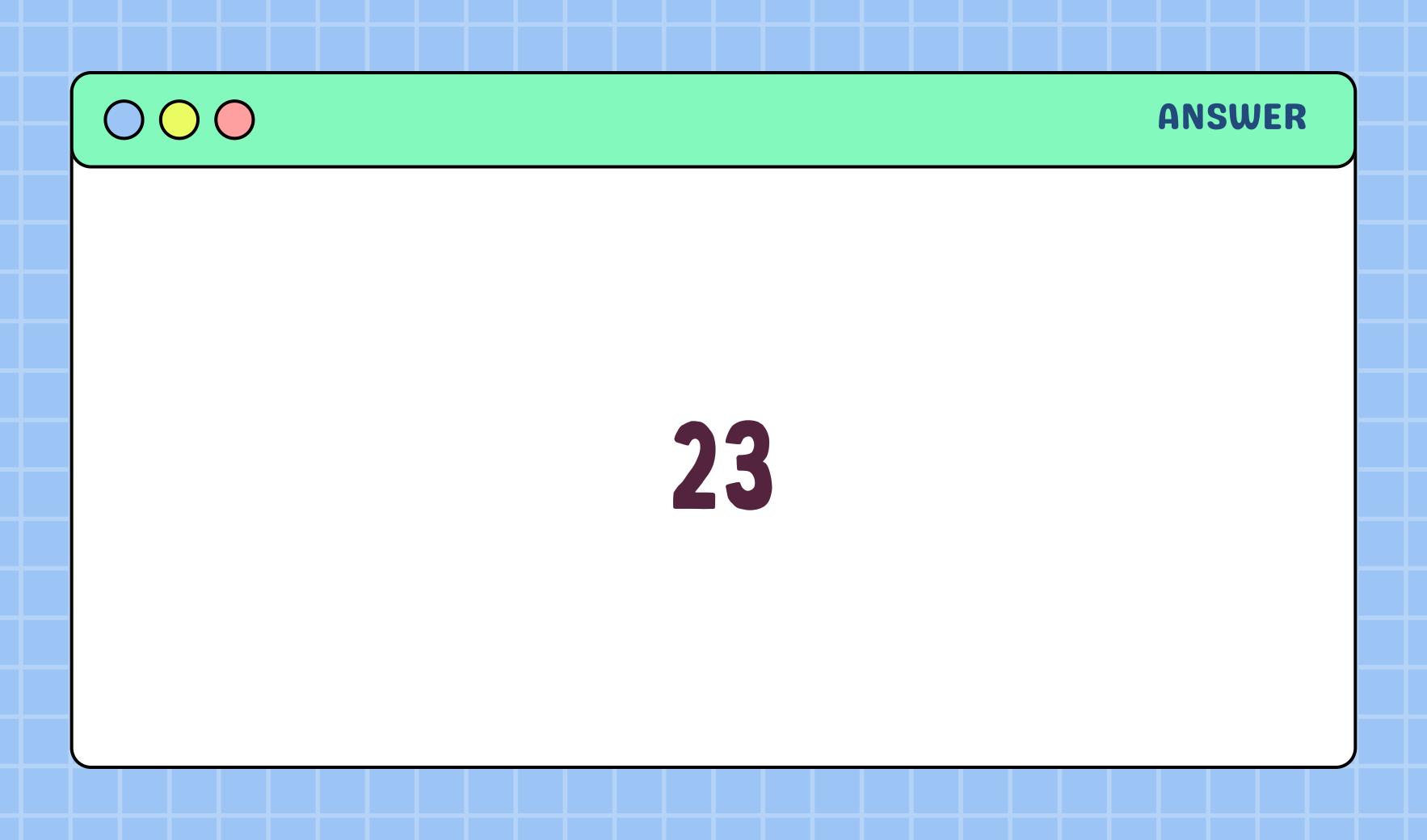


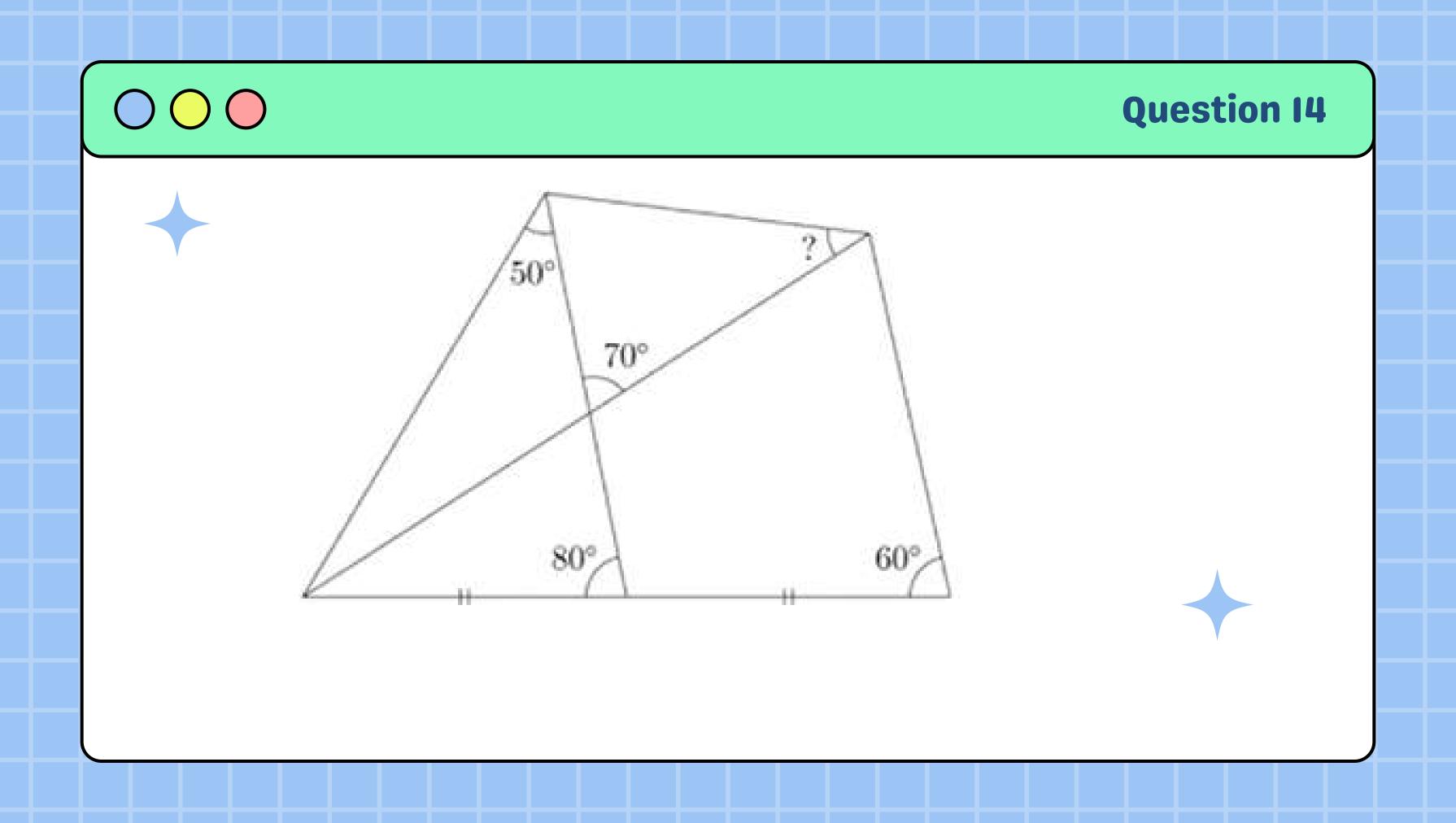
How many prime numbers less than 100 satisfy p!! = 5 mod 10

In mathematics, the double factorial of a number n, denoted by n!!, is the product of all the positive integers up to n that have the same parity (odd or even) as n.

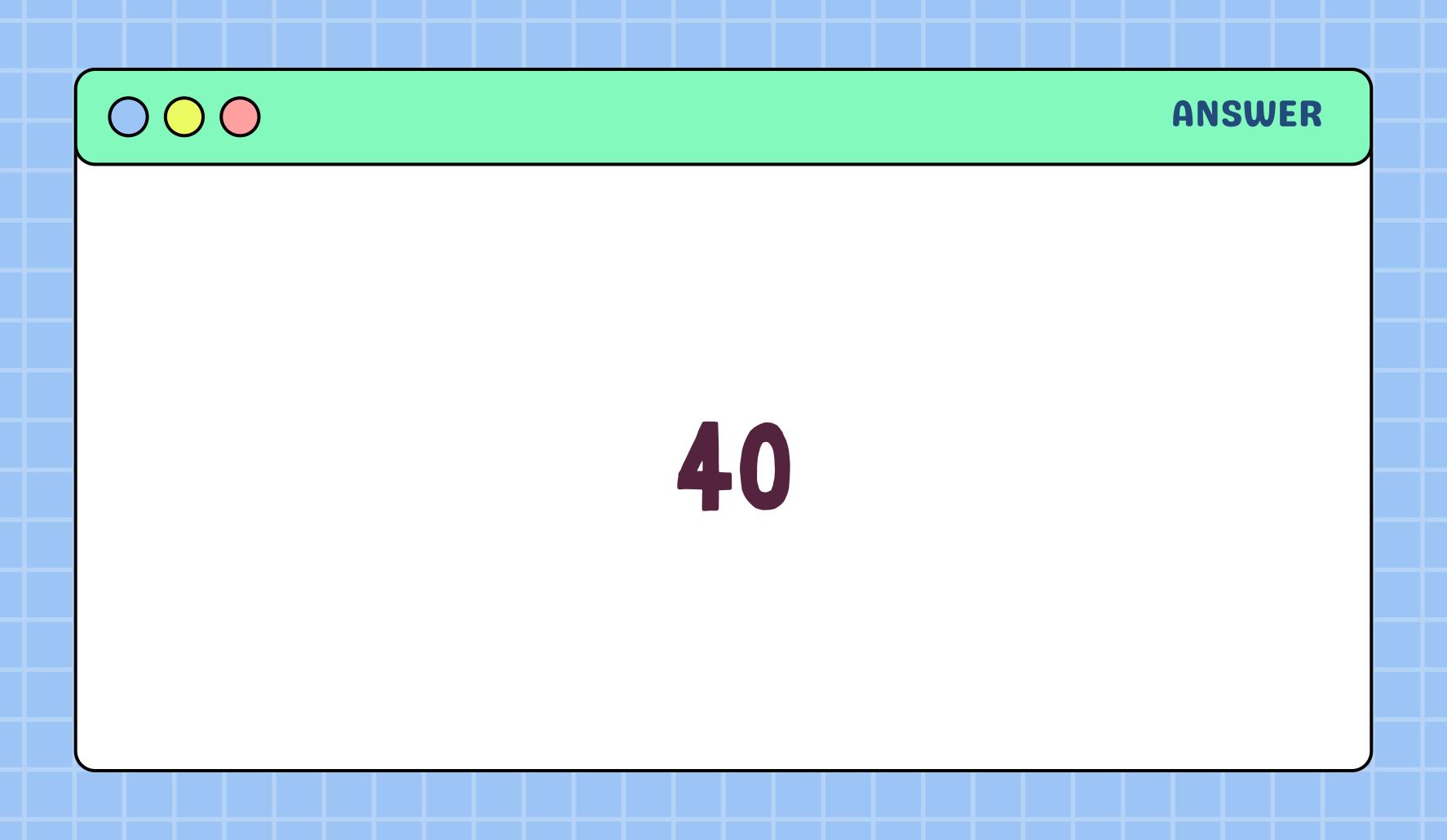














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AAND WE'RE DONE!

Would you rather have \$1 which multiplies by 0.5 every day for a whole month or \$100,000 no catch





HOPE YOU ALL HAD FUN!



